

Name

Matr.Nr

Fig.1

Inzidenzgeometrie, \emptyset
Parallelsd. \emptyset

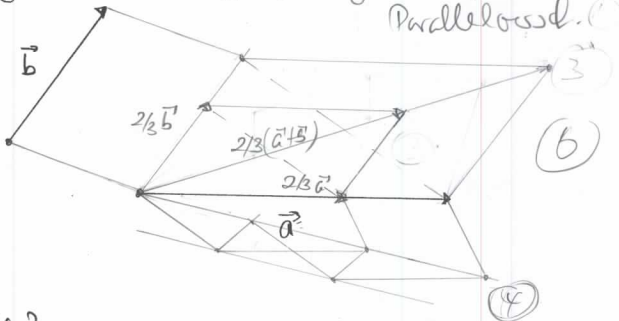


Fig.2

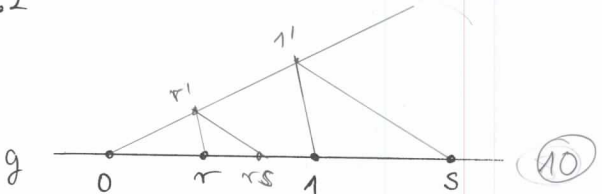
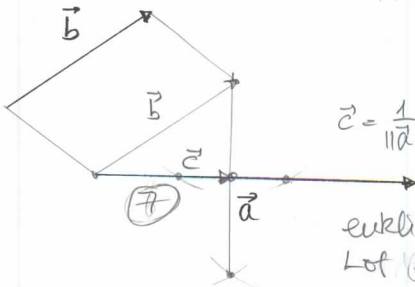


Fig.7

Inzidenzgeom. \emptyset
Parallel versd. \emptyset



$$c = \frac{1}{\|a\|^2} \langle a | b \rangle a \quad \textcircled{3}$$

euklidische Geometrie \emptyset
Lot \emptyset

$$\begin{aligned}
 3) \quad \vec{c} &= -3\vec{b}_1 + \vec{b}_2 \\
 &= -3(\vec{a}_1 - \vec{a}_2) + 2\vec{a}_1 + \vec{a}_2 \\
 &= -\vec{a}_1 + 4\vec{a}_2
 \end{aligned}$$

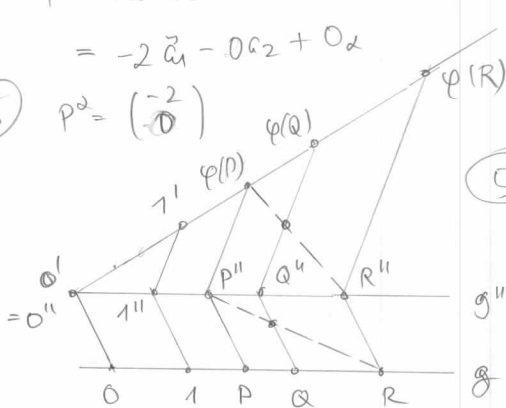
$$5) \quad \vec{c}^v = \begin{pmatrix} -1 \\ 4 \end{pmatrix}$$

$$P = \vec{x} + 0p \quad \vec{x} = 2b_1 - 2b_2$$

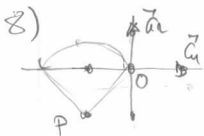
$$\begin{aligned}
 P &= \vec{a}_1 + \vec{a}_2 - 2(2\vec{a}_1 + \vec{a}_2) + \vec{a}_1 + 3\vec{a}_2 + 0a_3 \\
 &= -2\vec{a}_1 - 0a_2 + 0a_3
 \end{aligned}$$

$$5) \quad P^d = \begin{pmatrix} -2 \\ 0 \end{pmatrix}$$

4)



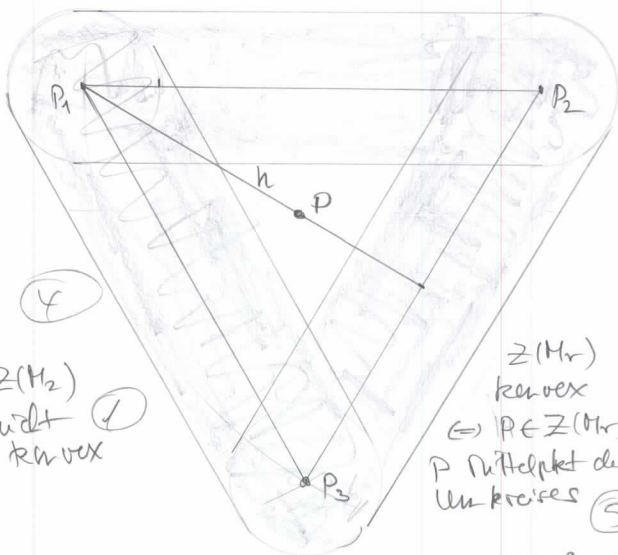
Begründung: Pascal mit Parallelen (3)



$$\begin{pmatrix} 1 & 0 & 0 \\ -2 & 0 & -1 \\ -0 & 1 & 0 \end{pmatrix}$$

10

5)



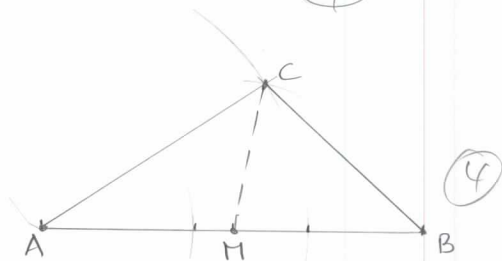
$Z(M_2)$
nicht
konvex (4)

$Z(M_r)$
konvex
 $\Leftrightarrow P \in Z(M_r)$
P Mittelpunkt des
Umkreises (5)

$\Leftrightarrow r \rightarrow \frac{1}{3}h$
 $r = 2\sqrt{3}$ (4)

$h^2 + 6^2 = 12^2$
 $h = \sqrt{108}$

6)



$\triangle AMC \equiv \triangle A'M'C'$ nach SSS
 $\Rightarrow \angle CAM \equiv \angle C'A'M'$
 $\rightarrow \triangle ABC \equiv \triangle A'B'C'$ nach SWS (6)